Coupling a mechanical resonator to a spin qubit in diamond

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The Nitrogen-Vacancy Center in Diamond

What are they?

- A lattice defect consisting of a substitutional nitrogen atom adjacent to a missing carbon
- has an associated electron spin
- has an associated optical transition
- Occur naturally or with ion implantation
- Why are they interesting?
 - Good for quantum devices
 - Long (~ 20 ms) spin coherence times at ROOM TEMPERATURE
 - Solid-state system: stationary, scalable, individual addressability
 - Spin state can be initialized (visible light), coherently controlled (microwaves) and readout (visible light)
 - Applications: magnetometers, qubits, single photon sources, biomarkers



NV-Centers in Diamond



- Ground state split by crystal field
- Optical readout of spin state is possible $m_s=0$ state is brighter than the $m_s=1$ state
- Ground state is further split by a magnetic field magnetometer

Coupling an NV to a Resonator

Goal: entangle spin state of NV with motional state of resonator



Applications:

- Ground state cooling of the mechanical resonator¹
- Quantum Spin Transducer²
 - a means towards coupling distant qubits

¹ Rabl *et al*, PRB **79**, 041302 (2009) ² Rabl *et al*, Nature Physics **6**, 602 (2010).

Routes to Ground State Cooling









Coupling an NV to a Resonator



An array of resonators could enable long distance communication between distant qubits (NV's)

Rabl *et al*, Nature Physics **6**, 602 (2010).



$$H_S = H_{NV} + \hbar \omega_r a^{\dagger} a + \hbar \lambda (a + a^{\dagger}) S_z \,.$$

Magnetic Spin-Resonator Coupling

Coupling strength: $\lambda = g_s \mu_B \nabla B a_0 / \hbar \quad a_0$: zero-point motion ∇B : magnetic field gradient

$$\lambda >> 1/T_2, \Gamma_m = K_B T/\hbar Q$$
 strong coupling between a single spin and a mechanical resonator!
Spin dephasing Mechanical dissipation



Experimental Setup – Confocal Microscope Vacuum chamber magnet X-Y Scanning Galvometer piezo Magnetic tip OBJ XYZ piezos Fluorescence Diamond **RF** stripline 532 nm Laser Sample Dichroic APD 220 Reflected intensity 200 180 160 140 120 100 80 60 40 Diamond, piezo stack and resonator Light Reflected off the Tip seen through chamber window.

Sensing a Magnetic Field with an NV **No Magnetic Field Magnetic Tip Nearby** Commercial MFM tip: $m_s = \pm 1$ 2.88 GHz $m_s = 1$ $\Delta = g\mu_B B$ $m_s = 0$ $m_s = -1$ 0 state is brighter than the 1 state $\Delta = 2.8 \text{ MHz/G}$ $m_s = 0$ **Optically Detected Magnetic Resonance** Fluorescence Intensity (a.u.) Fluorescence Intensity (a.u.) 120 140 120 110 2.80 2.85 2.90 2.95 2.80 2.84 2.88 2.92 Freq (GHz) Freq (GHz)

Mapping Magnetic Field of Tip



- NV can spatially map out field profile of the magnetic tip
- Fit is to an ideal dipole

Effect of tip motion on ESR Spectrum:



AC Magnetometry With Spin Echo Techniques



• Starting phase, ϕ_0 , varies randomly between measurements Hence, we are sensitive to the **variance** of AC field

NV Center in a ¹³C Spin Bath



Measurement of tip motion using revivals:



• Revival due to the tip motion is within the first ¹³C collapse

 $\omega_{Larmor} << \omega_{cantilever}$

Measurement corresponds to ~ 20 nm amplitude of tip motion!!

Revivals due to Driven Tip Motion



- Cantilever frequency is matched to ¹³C Larmor frequency $\omega_{Larmor} = \omega_{cantilever}$
- Fixed amplitude of AC magnetic field, unlike ¹³C spin contribution, gives a different functional form of the revivals $P_{|0\rangle} = \frac{1}{2}(1 + J_0(-\alpha B_{AC}^{2}Sin^4(\frac{\omega_{tip}\tau}{4}))$

Measuring AC motion of Cantilever



As AC tip motion decreases, revival peak approaches bare ¹³C revival peak

• not a very sensitive measure of small B_{AC} (Brownian motion)

NV Detection of Thermal Motion

Sweeping ¹³C revival peaks through tip collapse by varying B_{DC}



Thermal Motion

¹³C revival maximum as DC magnetic field is shifted



Corresponds to ~ 20-90 pm of motion

in good agreement with the geometrical estimate of 50 pm

Cantilever Ringdown Measurement



Power Spectral Density of Driven Motion



Frequency (kHz)



• Collapses due to tip motion are much deeper with triple pi-pulse

Optimizing Cantilevers for Strong Coupling

magnetic tip

NV center

Coupling strength: $\lambda = g_s \mu_B \nabla B a_0 / \hbar$

$$\lambda >> 1/T_2, \Gamma_m = K_B T/\hbar Q$$

Design requirements for strong coupling:

- Large field gradient
- Large zero-point motion

long, skinny, thin cantilevers

$$a_0 = \sqrt{\frac{\hbar}{2m\omega_r}}$$

- Hiqh Q cantilever
- Long T_2 for qubit
 - NV Center

Cantilever Fabrication



Cantilever Fabrication



Optimistic Projected $\lambda = 100 \ kHz$

Summary and Outlook

- Nitrogen vacancy centers are attractive for applications in quantum information, magnetometry, and imaging.
- Strong coupling between a cantilever and an NV will open the door to a novel method of cooling resonators down to their ground states.
- A coupled resonator/NV system is the building block for a "quantum transducer," which would provide controllable and coherent long range spin-spin coupling.
- Used a single quantum system to readout thermal motion of a mechanical resonator at room temperature using a novel AC magnetometry technique

Route to Single Spin Sensitivity

Make a scanning diamond magnetometer

for resolution and sensitivity, NV must be close to diamond surface

Increase photon collection

design photonic structures: solid immersion lenses, photonic crystals, photonic waveguides





• Increase T₂ coherence time

understand mechanisms of decoherence

$$\delta B_{\min} \approx \frac{\hbar}{g\mu_{\rm B}\sqrt{T_2 T}}$$

Increase contrast between |0> and |1> states

strain engineering and low temperature operation

Measurement of tip motion using collapses:



NV Center as a Magnetometer

• Magnetic field *b* induces a relative energy shift between |1> and |-1>



 Ramsey pulse sequence detects a Zeeman shift

$$\phi \propto (g\mu_B \,/\,\hbar) b\tau$$



- Photoluminescence measures spin population
- Magnetometer signal: $S \approx (g\mu_B / \hbar)b\tau$

Taylor et al, Nature Physics 4, 810 (2008). Maze et al, Nature 455, 644 (2009), C. Degen, APL 92, 243111 (2008).