

Dynamics of Polymer Glasses Under Active Deformation

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NSF NIRT

Why are polymer glasses tough?



Polycarbonate = bullet-proof glass

High modulus +
Large strain prior to fracture +
Low energy input in molding

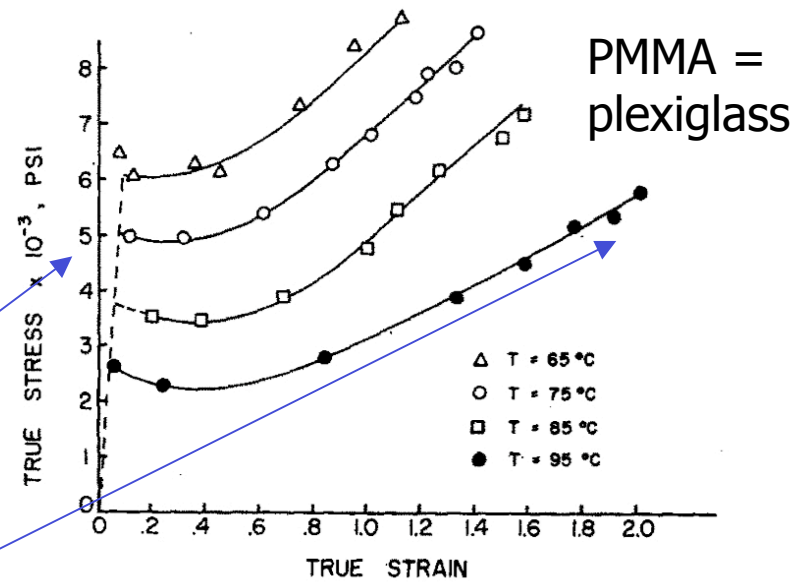
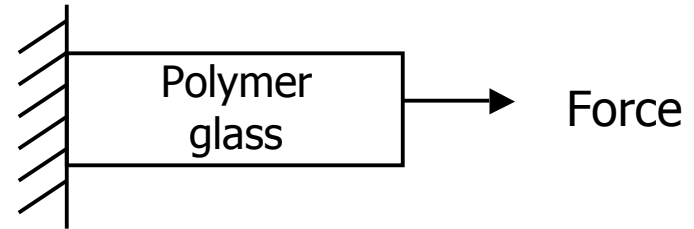
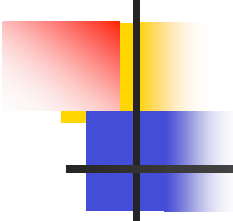


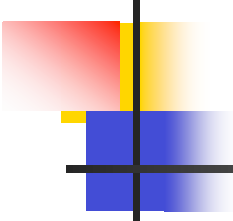
FIG. 6. True stress-strain curves at different temperatures (extension rate=0.5 in./min in all cases).

Allison, ... J. Appl. Phys. 38, 4164 (1967)



How much energy should it take to fracture a PMMA glass of 1 cm³?

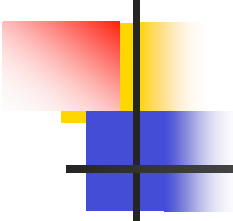
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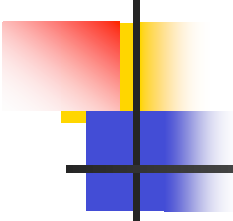
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- d) The real answer ≈ 20 J

One viewpoint: deformation induces mobility and transforms the glass into a very viscous liquid

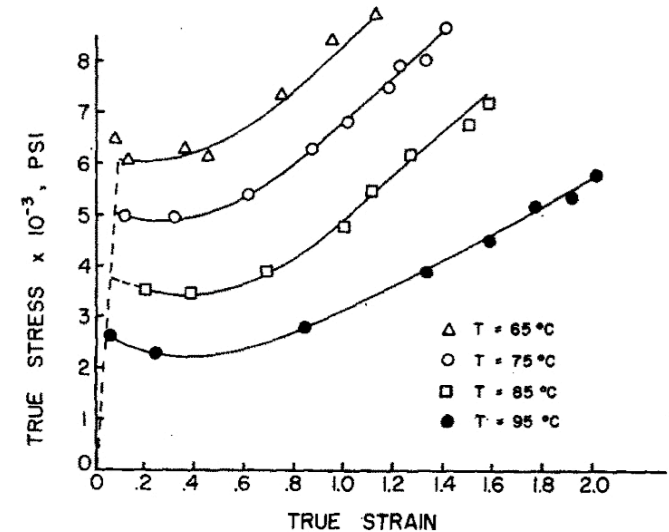
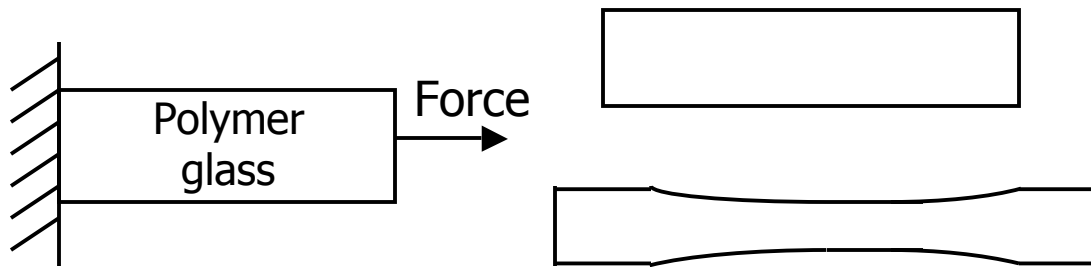


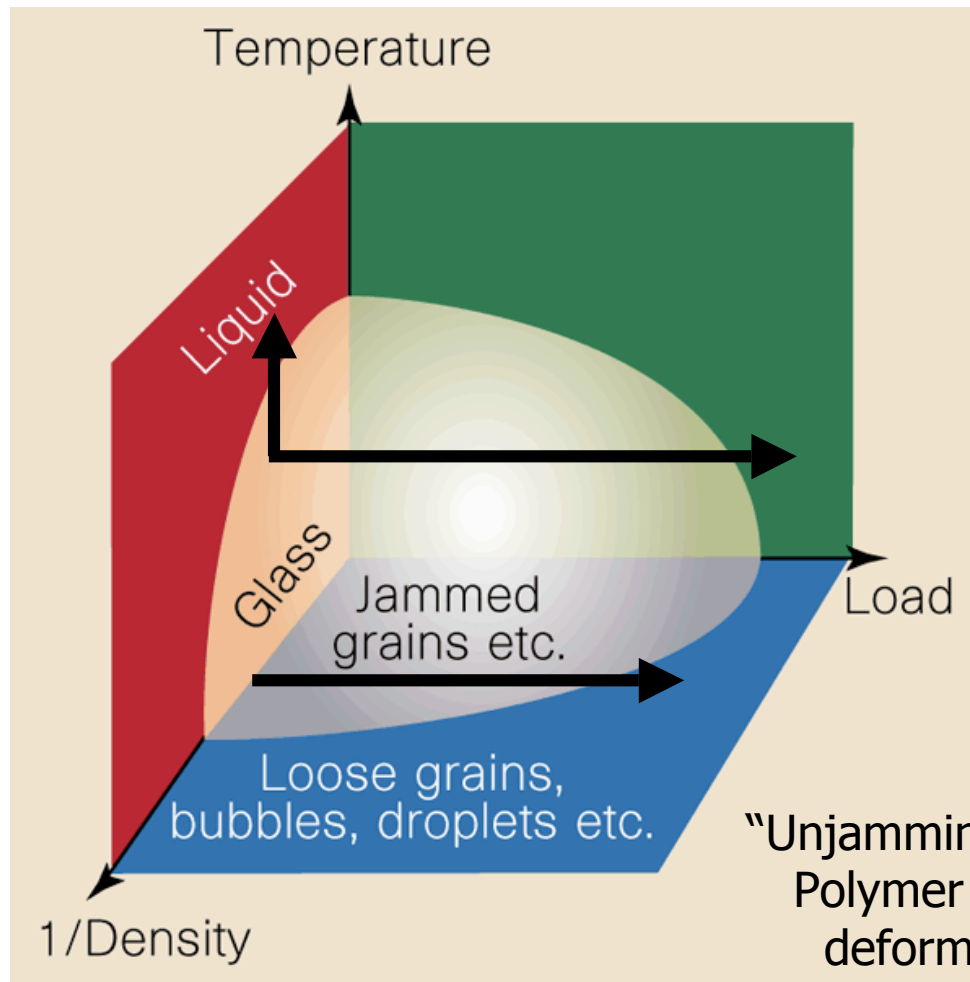
FIG. 6. True stress-strain curves at different temperatures (extension rate=0.5 in./min in all cases).

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Above T_g , small force, mobility allows flow, have molecular theories

Below T_g , large force, mobility allows flow?, no molecular theory

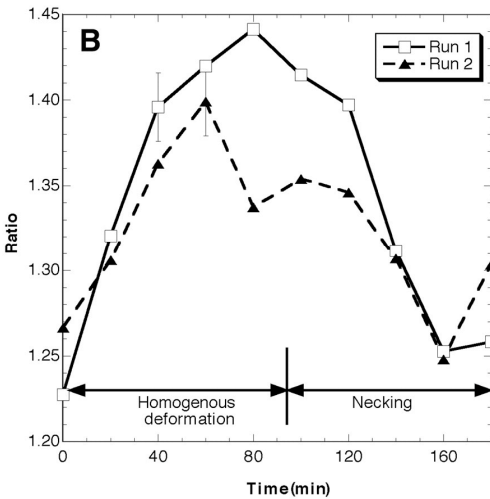
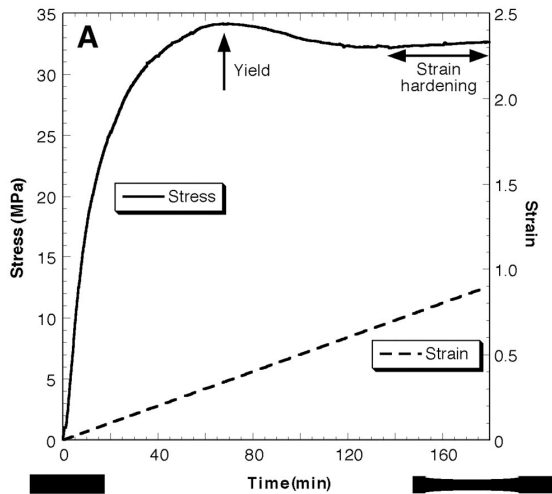
Broader context: Jamming



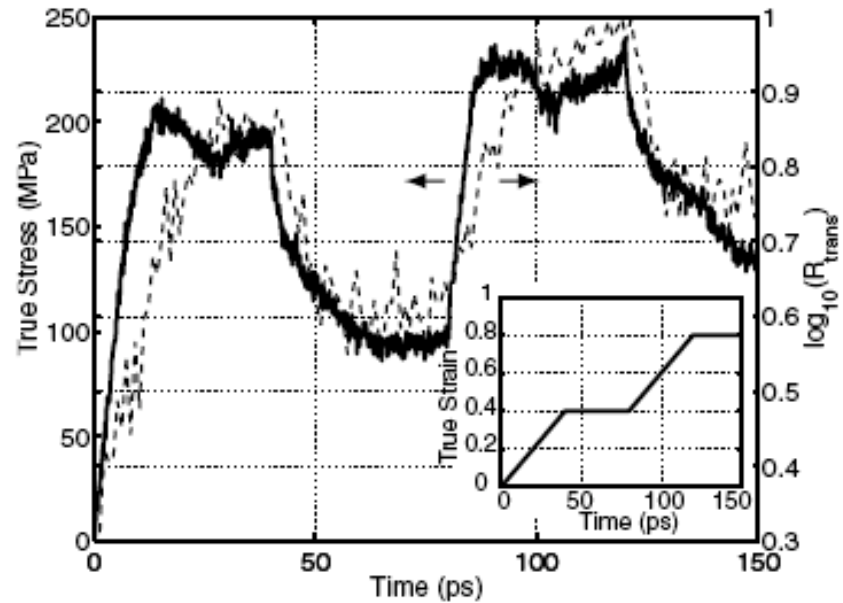
“Unjamming” is seen in many systems.
Polymer glasses are unique - large
deformation without failure due
to long chains

Liu and Nagel, Nature 1998

Observations of deformation-induced mobility in polymer glasses



NMR experiments on nylon
(Loo, Gleason, Cohen: Science 2000)



MD simulation on polyethylene
(Capaldi, Boyce, Rutledge: PRL 2002)

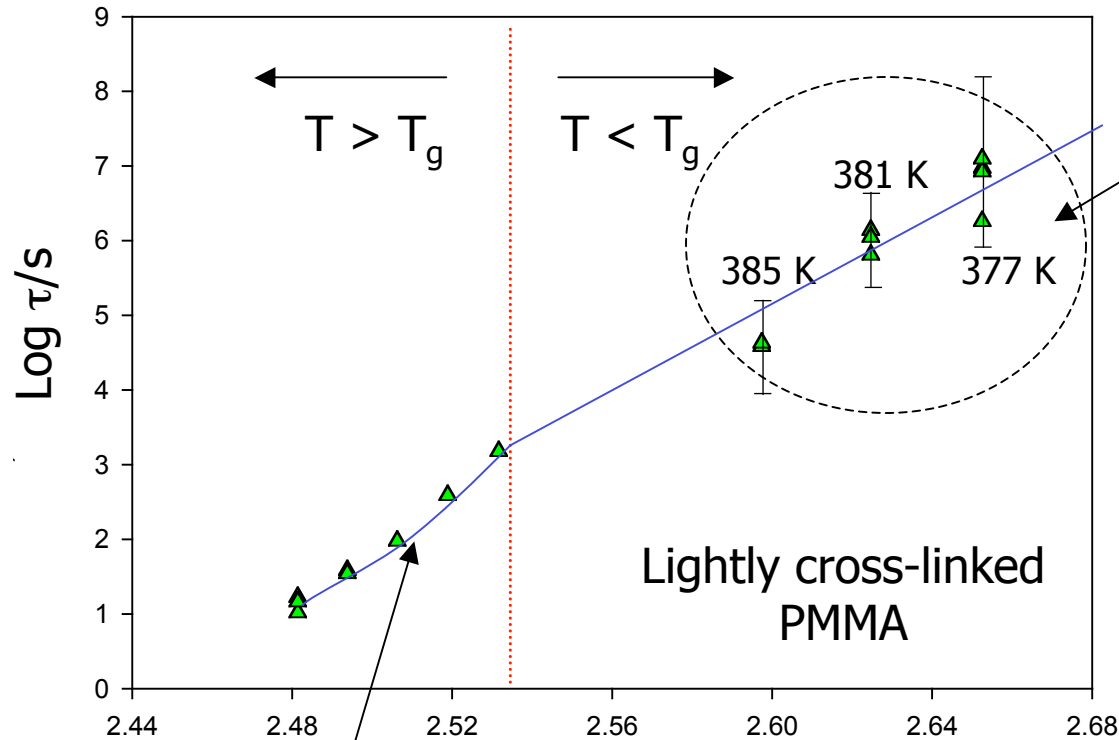
Mechanical "tickle" measurements
are controversial
(Yee, Gacougnolle, McKenna, Zapas)



Goals

- Quantify deformation-induced mobility
- Fundamental understanding of mechanism
- Better predictions of non-linear mechanical properties
- Extend to composite systems

Key concept for our experiments:
 Probe reorientation reports on polymer dynamics

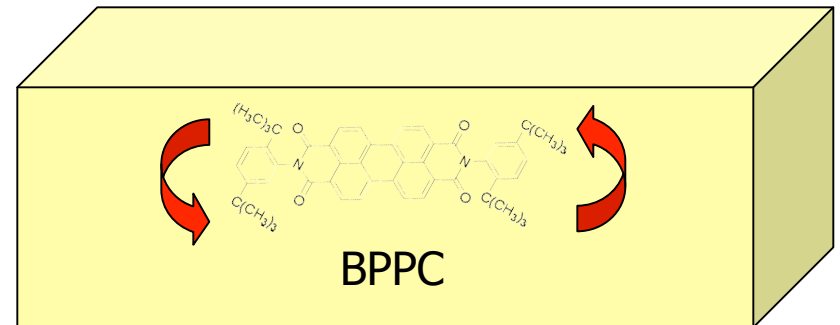


Experiments are done at this temperature range

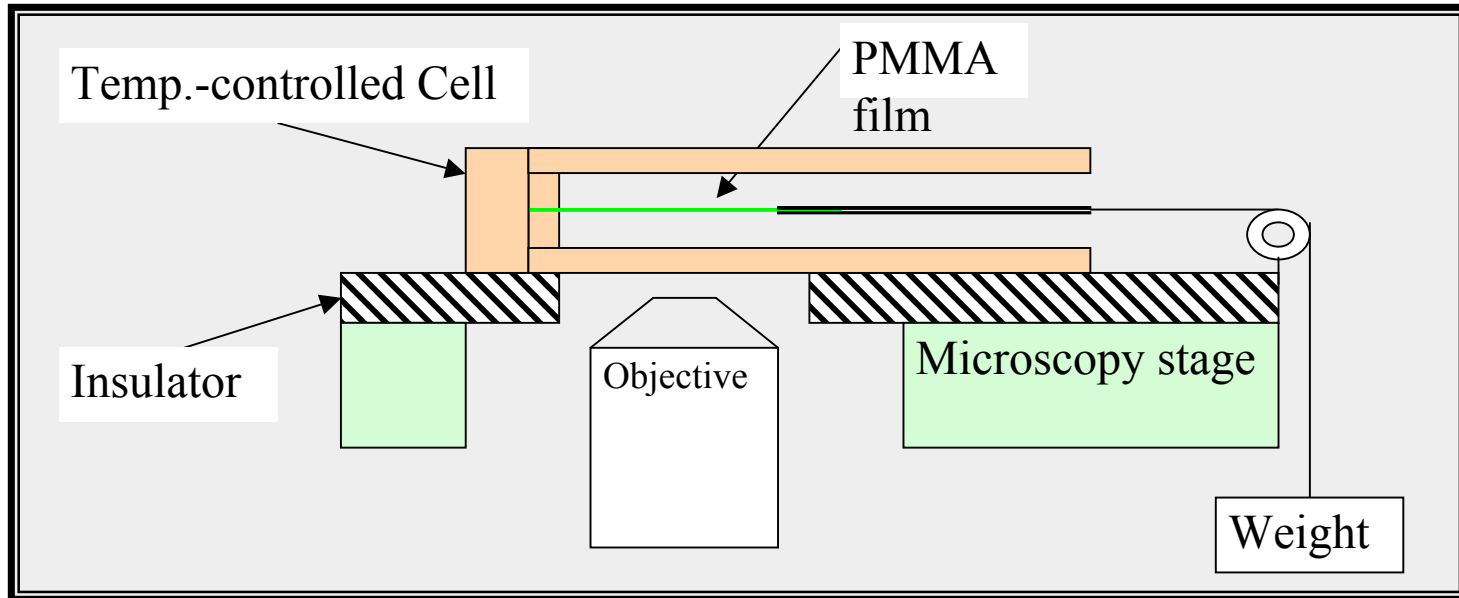
Rotational correlation times of probe molecule are strongly correlated with segmental dynamics of polymer

1000/T
 $T_g = 395.3 \text{ K}$

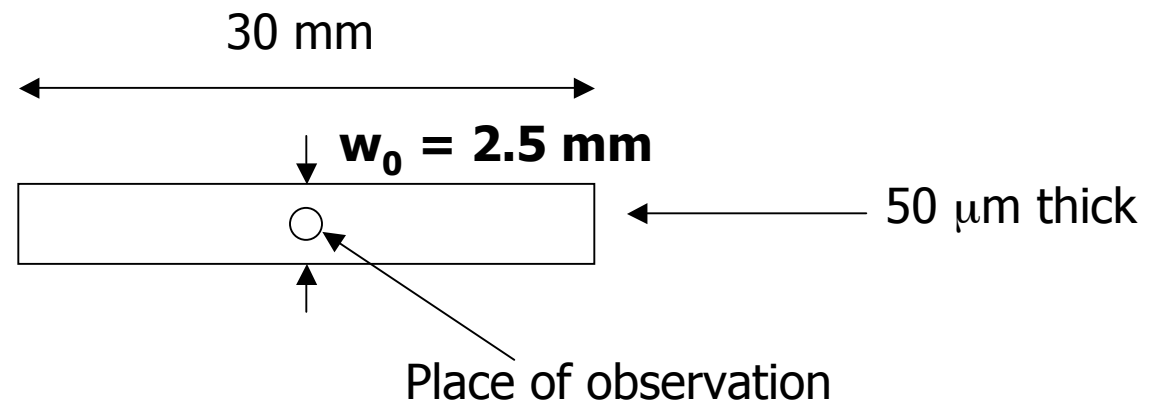
T dependence matches dielectric relaxation τ_α



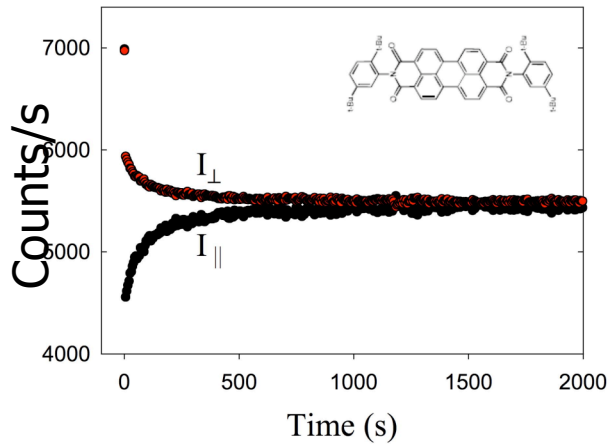
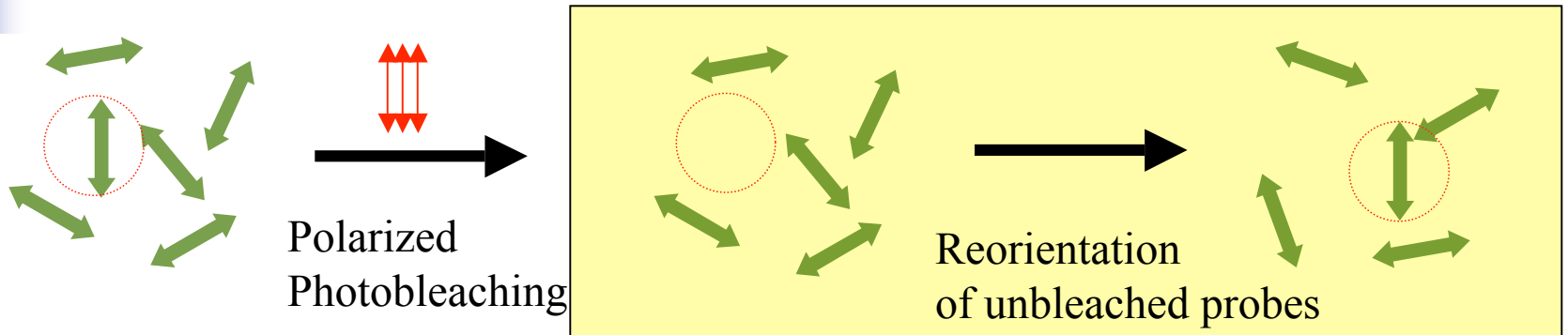
Deformation Cell (Creep Experiment)



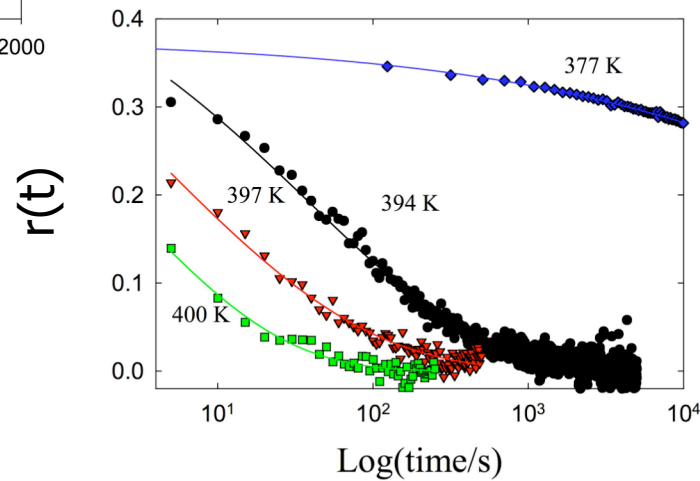
Top view of sample



Dye reorientation measured with photobleaching technique



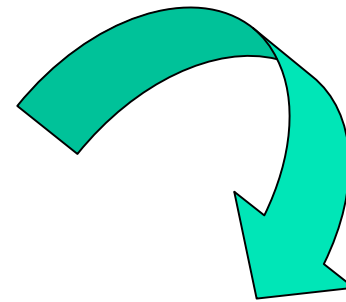
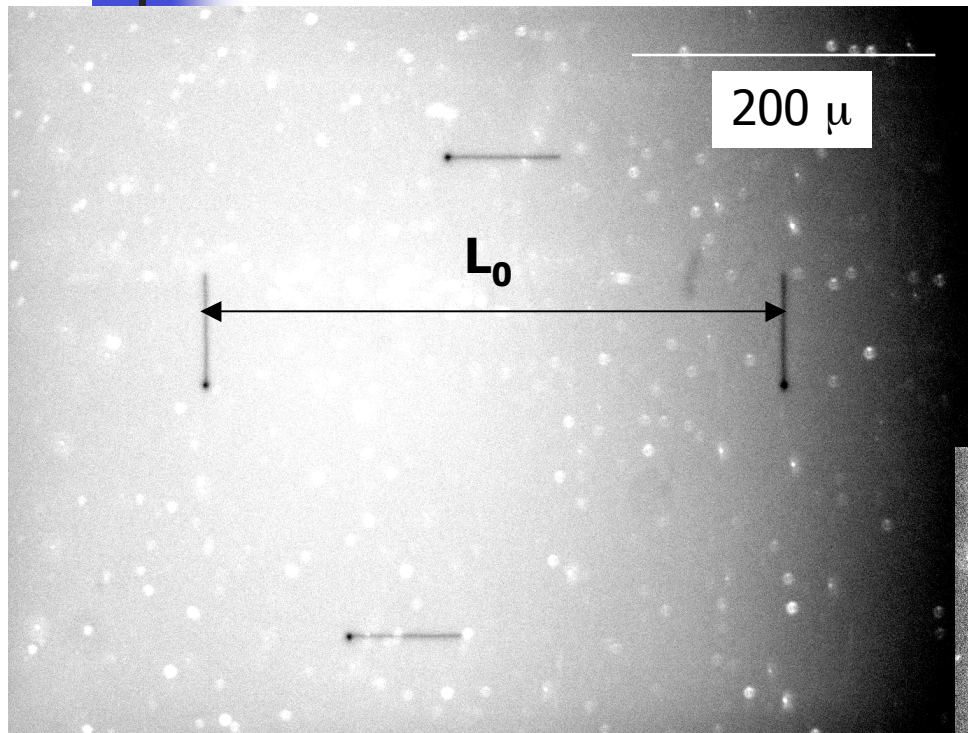
Read by circularly polarized light



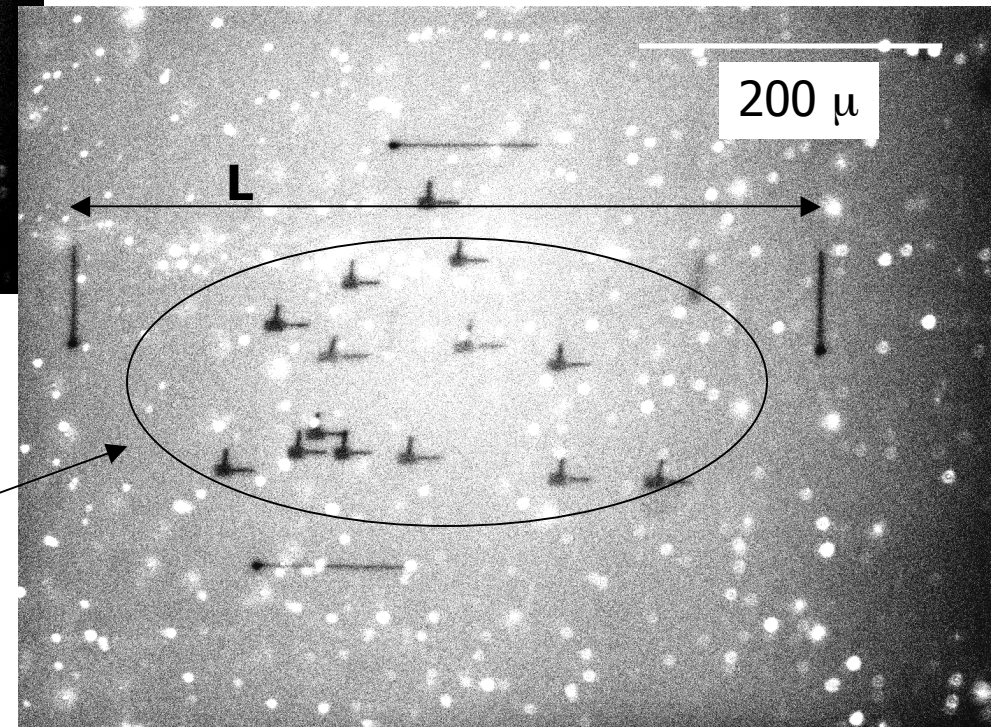
$$r(t) = \frac{\Delta I_{\parallel}(t) - \Delta I_{\perp}(t)}{\Delta I_{\parallel}(t) + 2\Delta I_{\perp}(t)}$$

$$\Delta I(t) = I(0) - I(t)$$

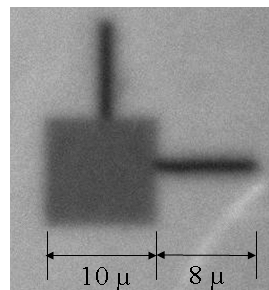
Strain and mobility are measured locally

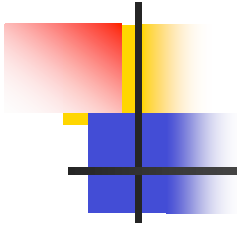


Stretch the film

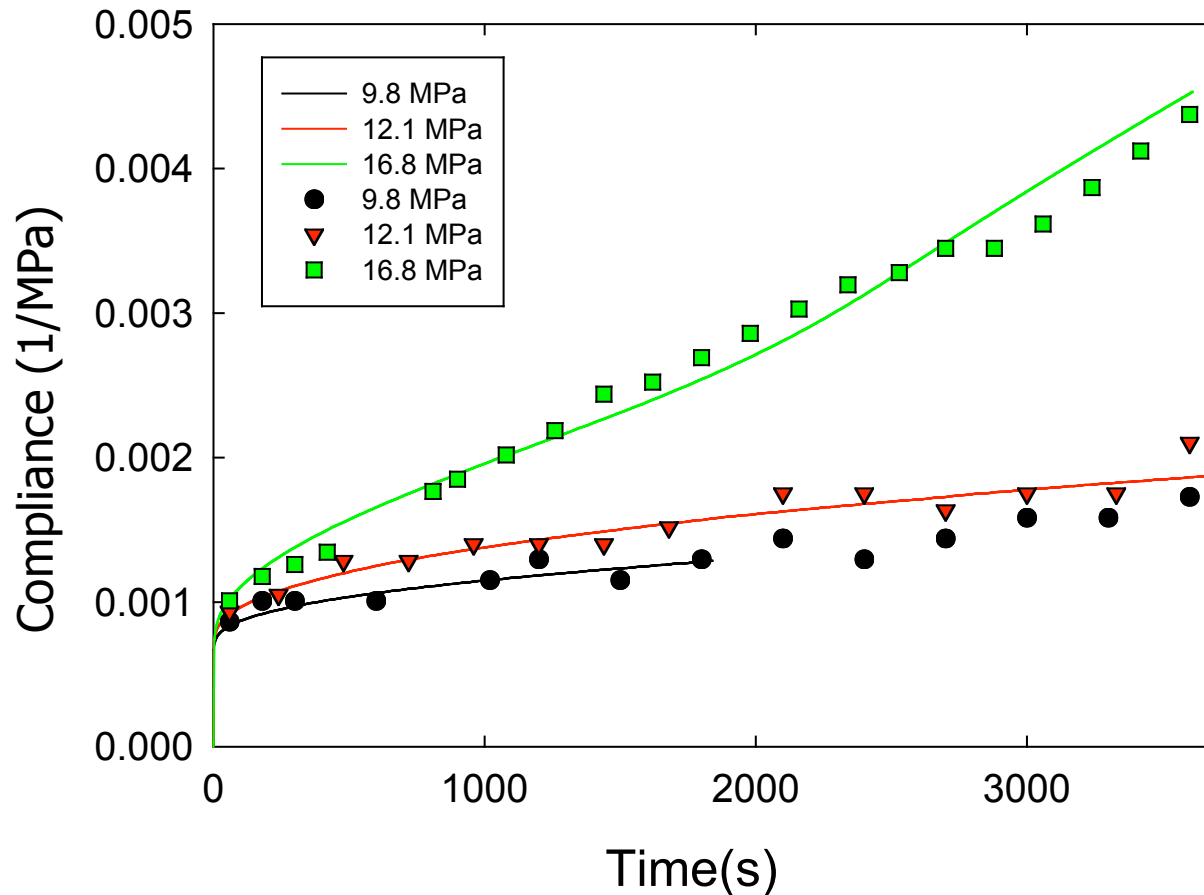


**Measure mobility
of polymer in
these small
regions**





Local creep measurements agree well with standard creep measurements during homogeneous deformation

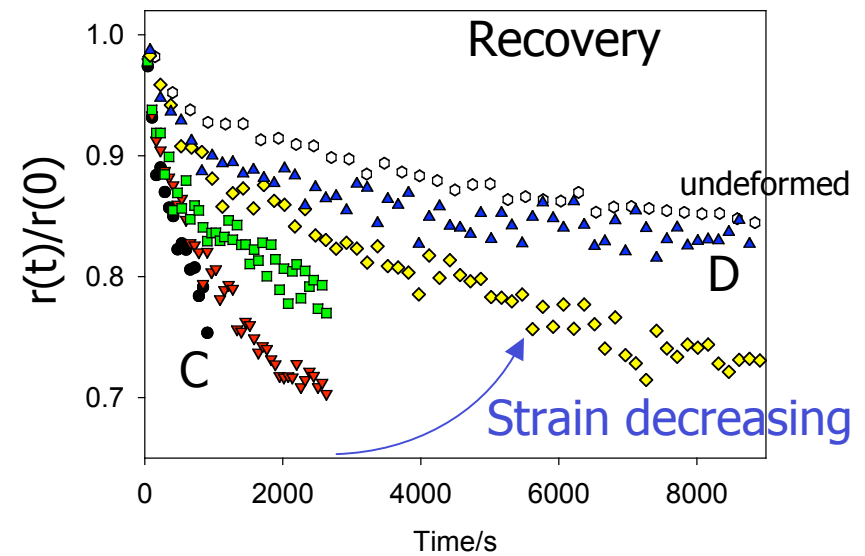
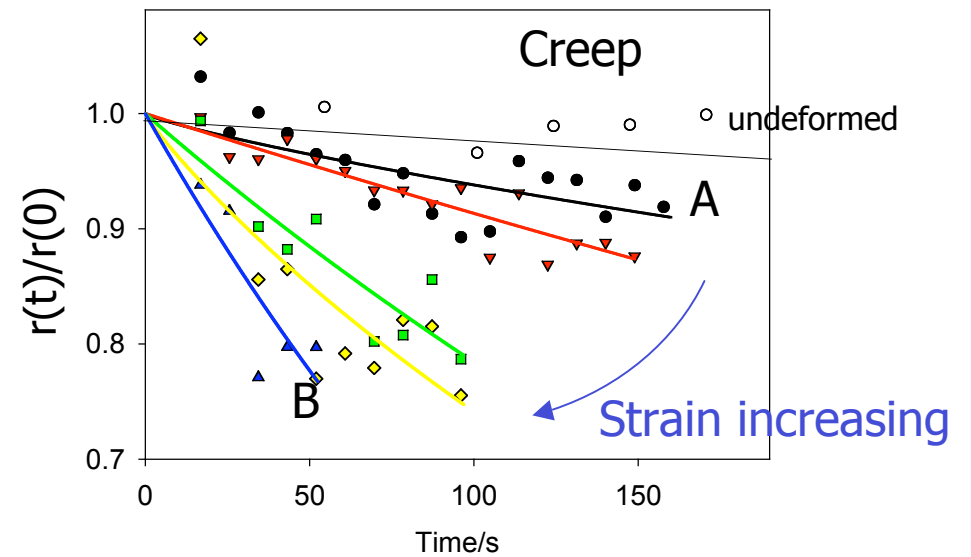
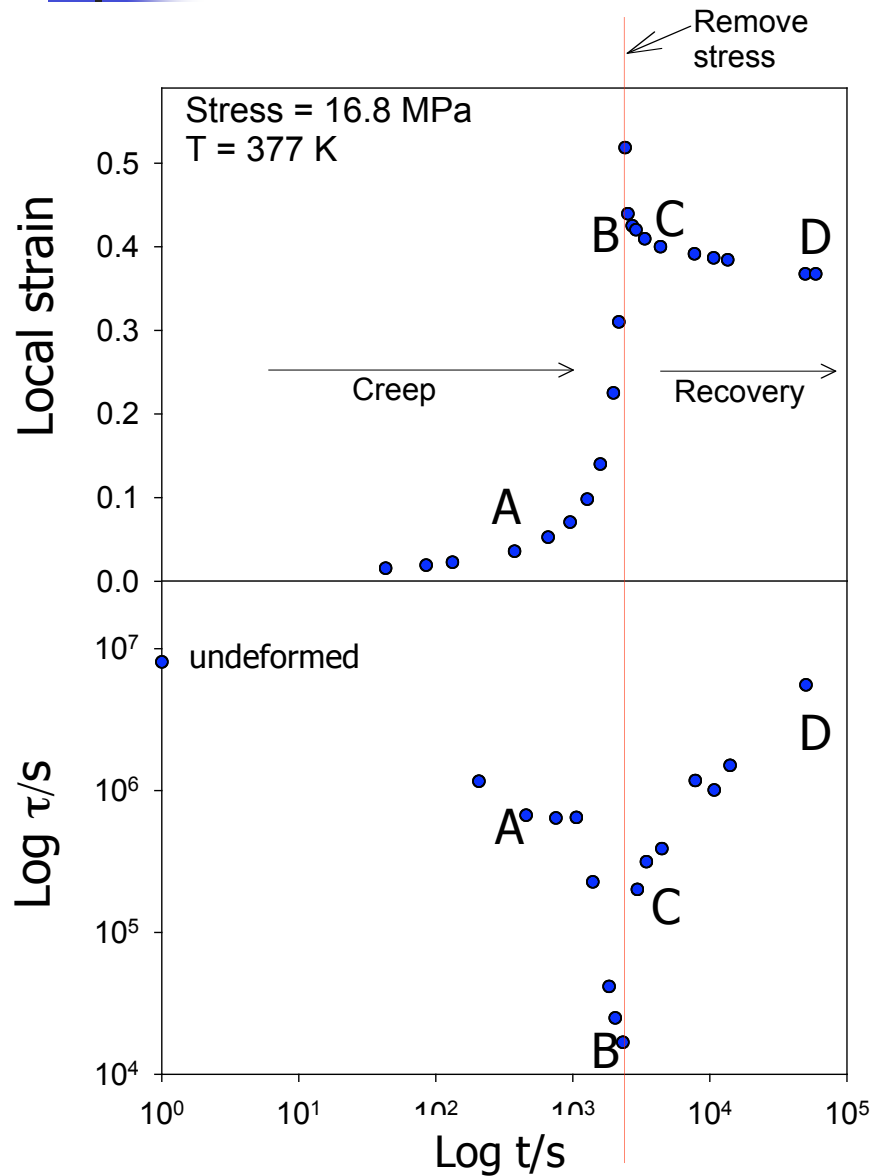


$$J(t) = \varepsilon(t)/\sigma$$

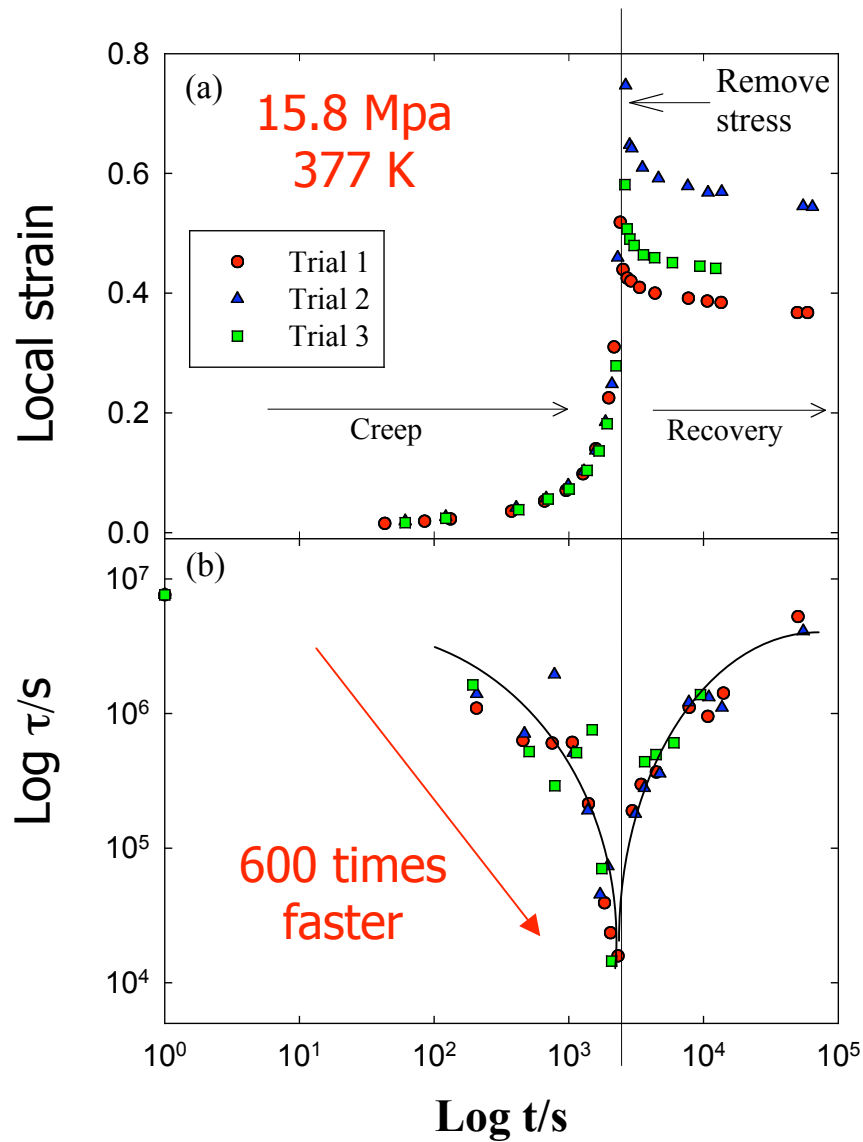
Symbols: Optical creep measurement : $T = 375.8 \text{ K}$ ($T_g - 24.3 \text{ K}$)

Solid lines: Standard creep measurement (Caruthers) : $T = 368.1 \text{ K}$ ($T_g - 25 \text{ K}$)

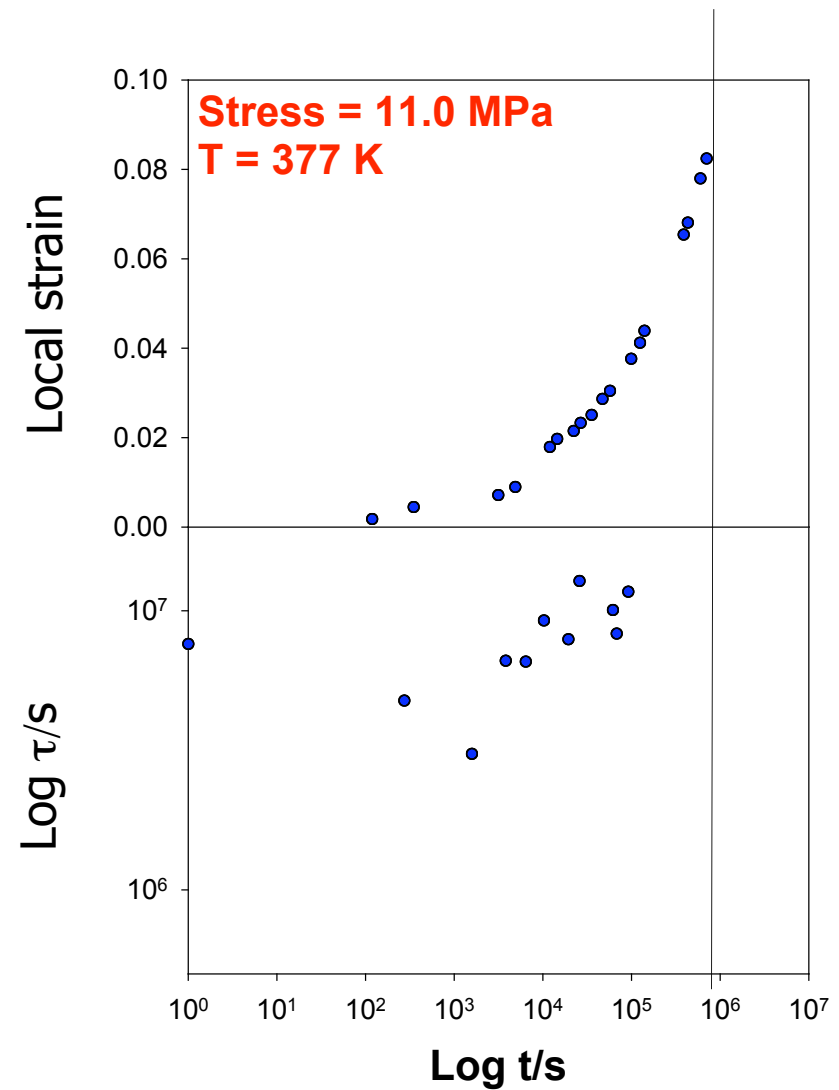
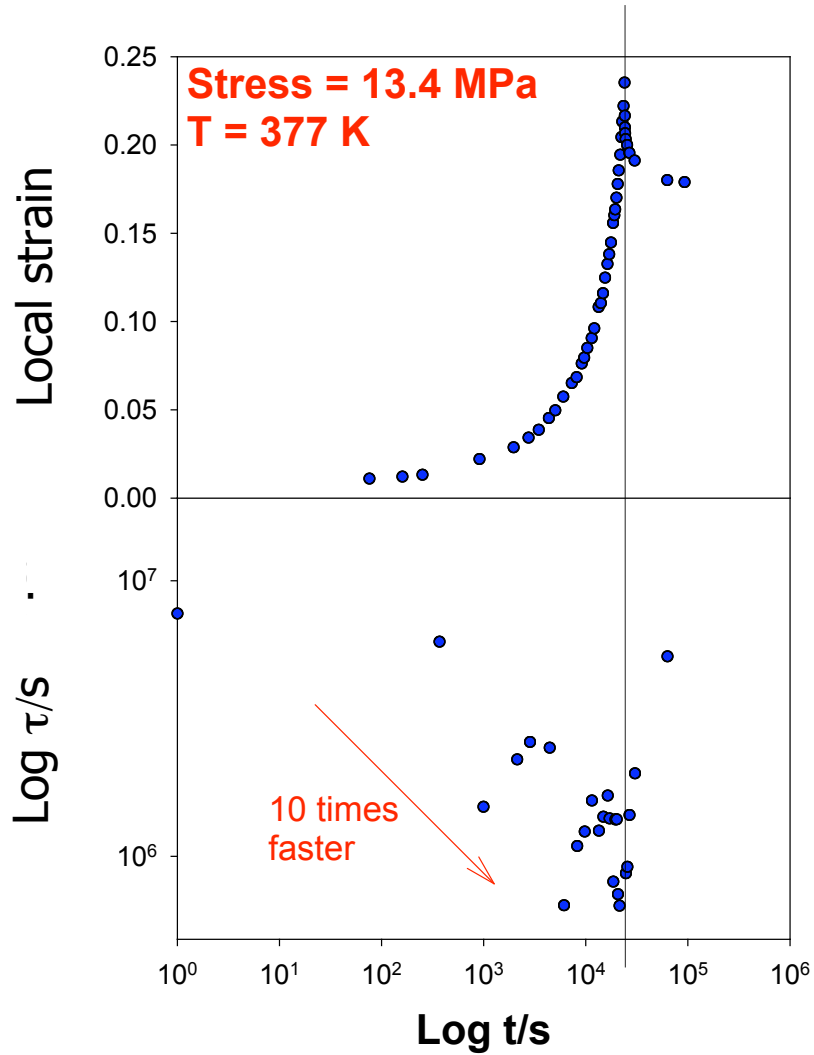
Evolution of mobility during creep and recovery



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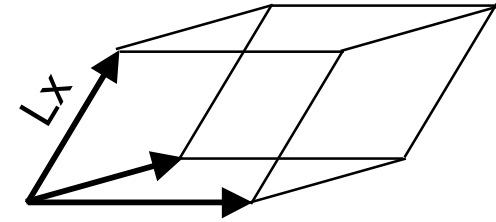
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- **Fundamental understanding of mechanism**
- Better predictions of non-linear mechanical properties
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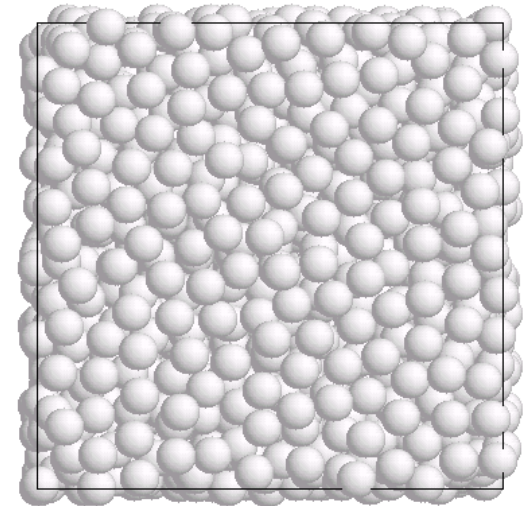
Can free volume explain these results?

MD simulations of creep (Riggleman/de Pablo)

- MD Simulations of a coarse-grained polymer melt at T_g ($T_g^* = 0.37$)
- Polymer: 32 Lennard-Jones sites connected by harmonic springs
- Creep simulations in $N\sigma T$ ensemble under compression and tension
- Four system sizes studied:
 - $L_x = \{8.8; 11.7; 17.7; 39.9\}$
 - $L_x / \xi = \{1.1; 1.46; 2.21; 4.24\}$

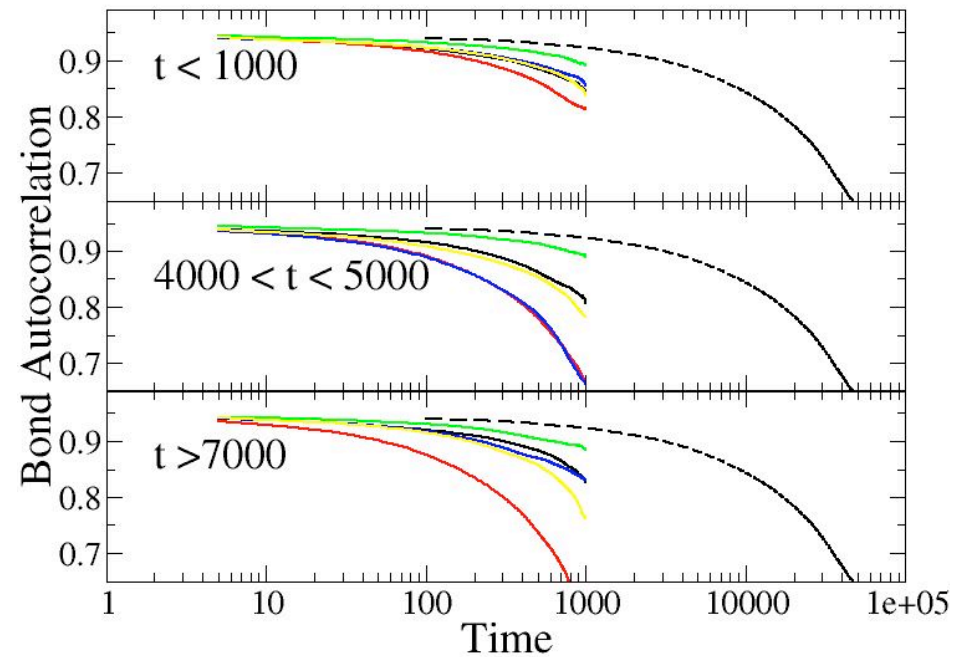
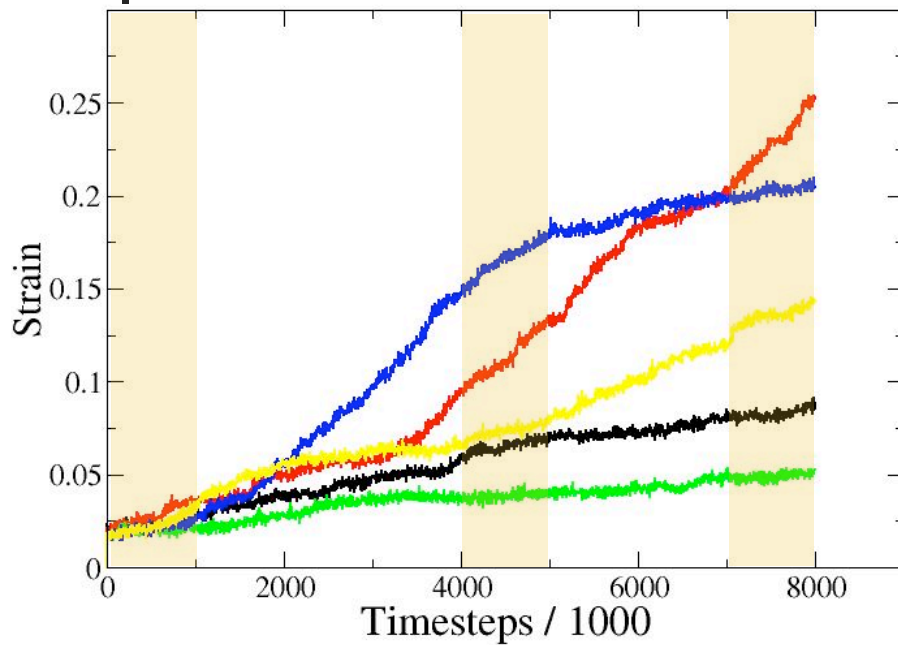


$N\sigma T$ ensemble



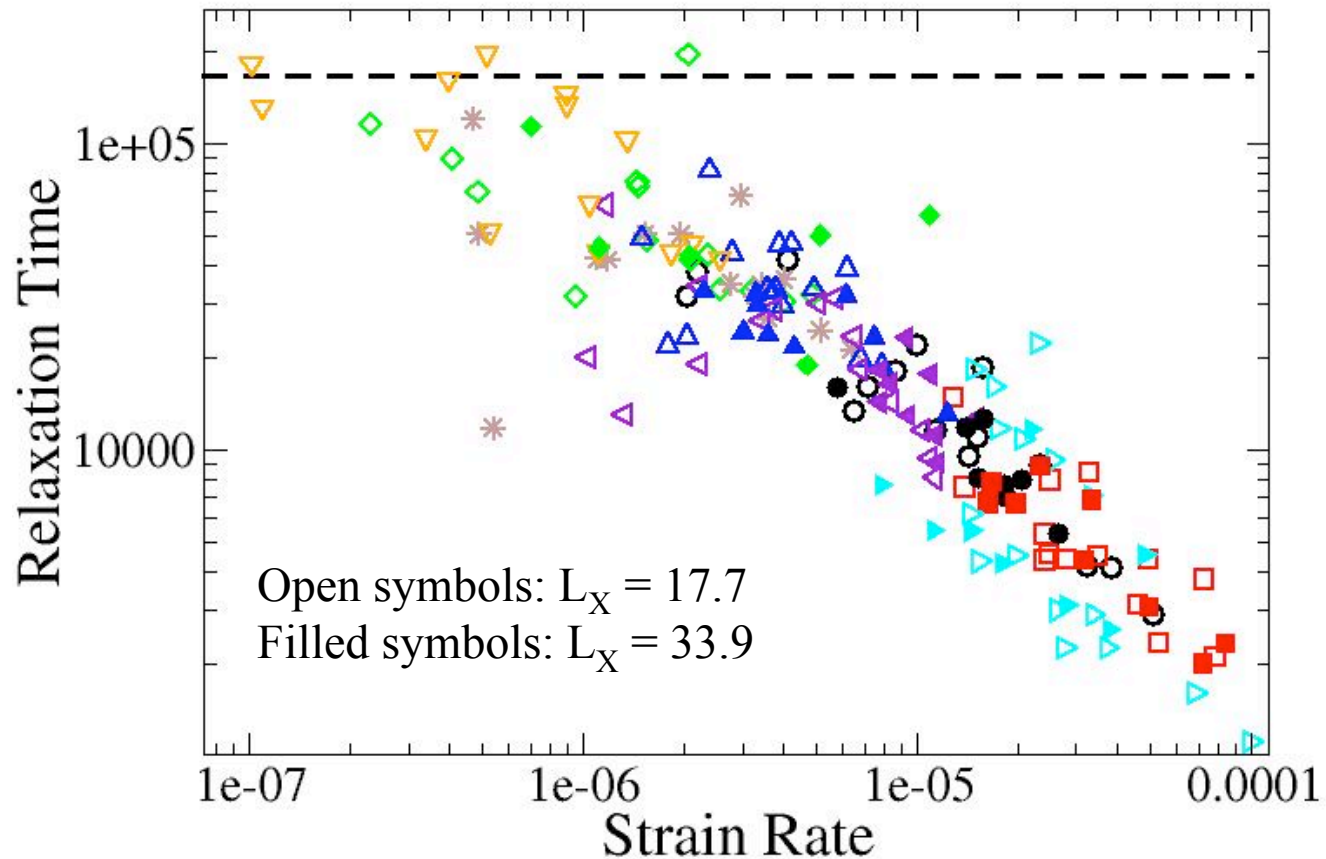
Pure polymer glass
before deformation









Dynamics are enhanced during creep ($\sigma_{zz} = 0.54$)



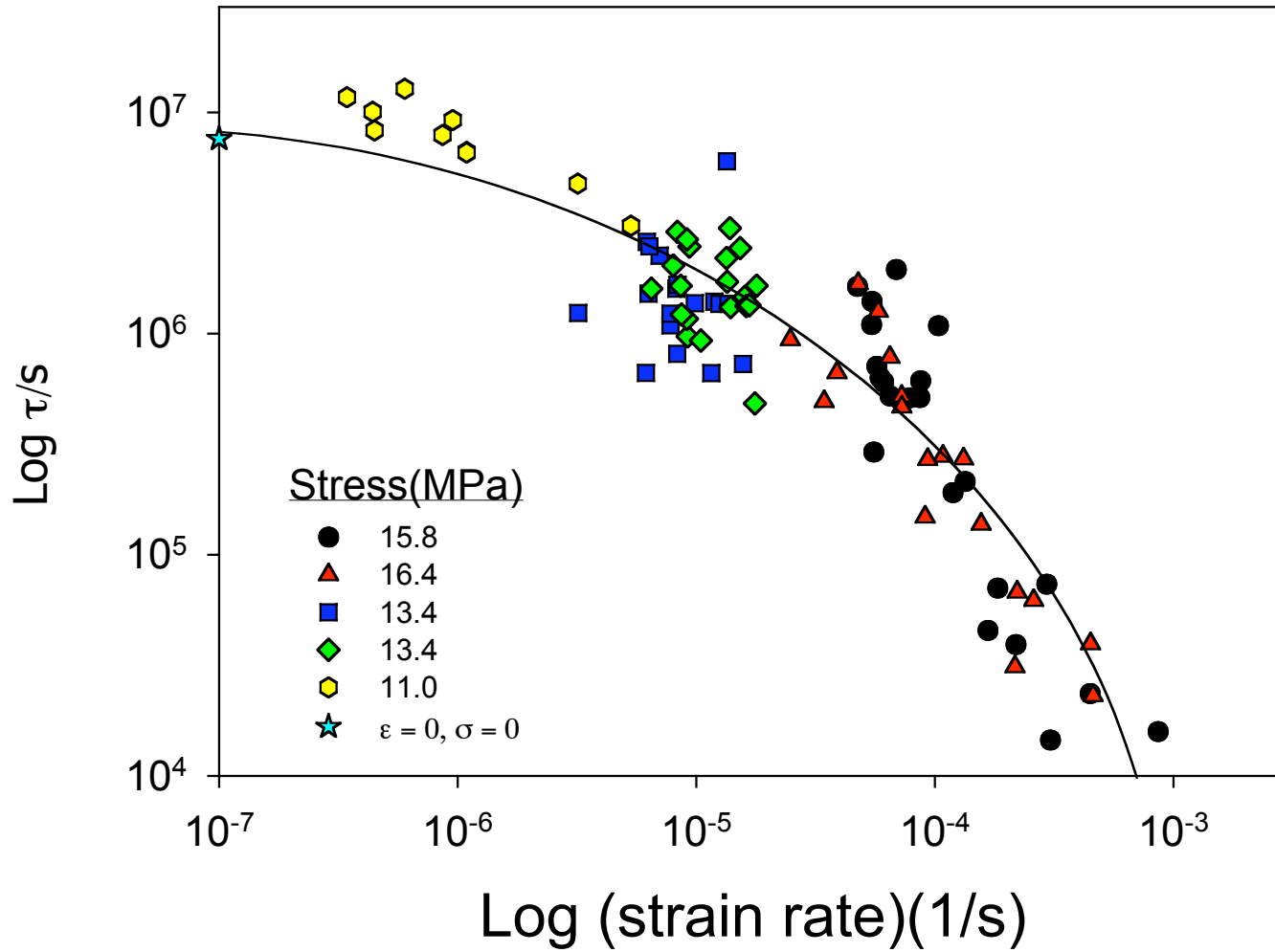
- Strain and dynamic response of LJ polymer melt under tensile stress
- Dynamics measured separately for individual configurations
- All configurations show significant enhancement

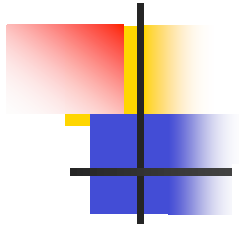
Evolution of τ_c with the strain rate (MD)



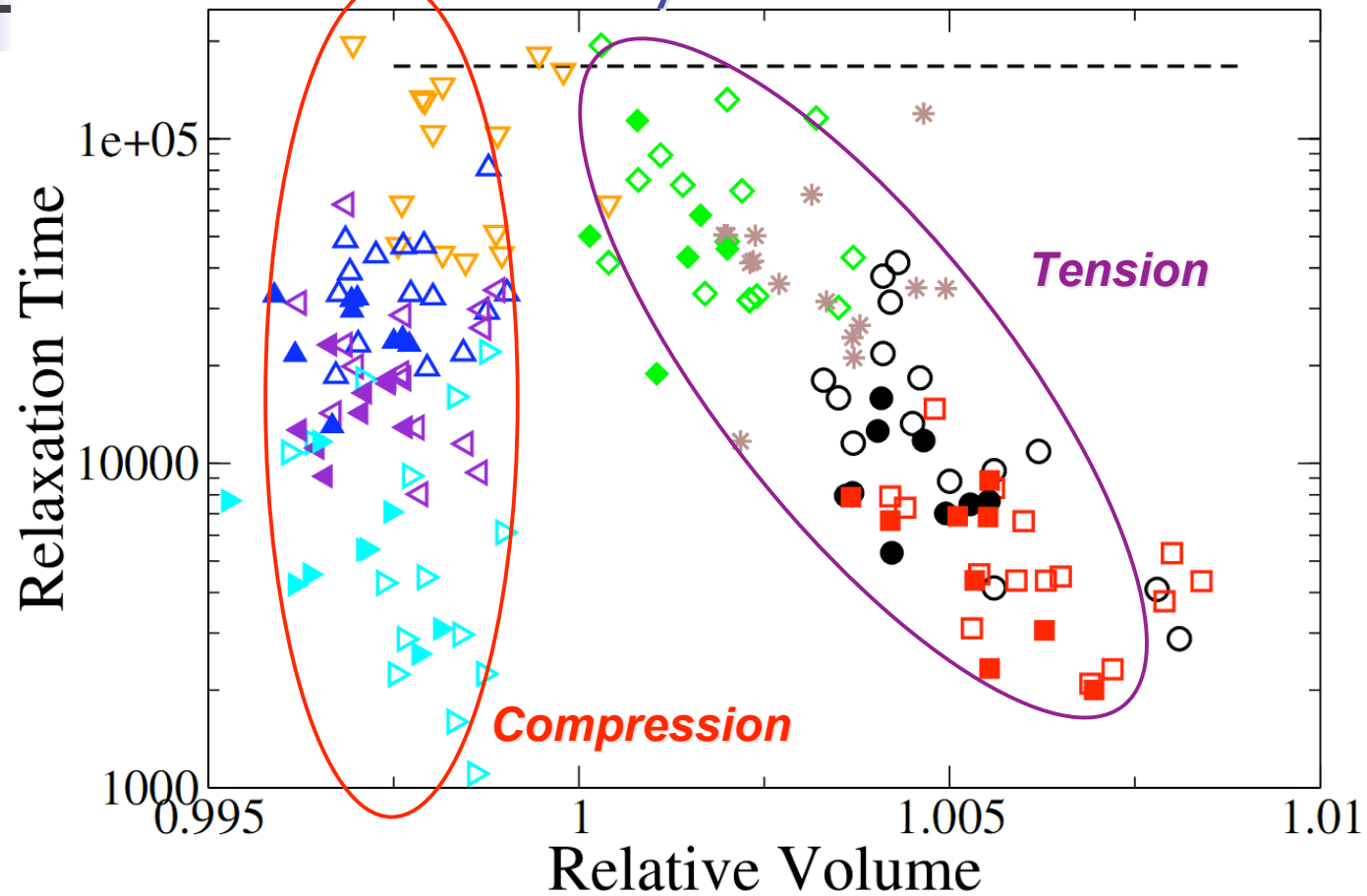
-     = Compressive stress, $\sigma_{zz} = -\{0.27, 0.54, 0.62, 0.75\}$
-     = Tensile stress, $\sigma_{zz} = \{0.27, 0.425, 0.54, 0.62\}$

Evolution of τ_c with the strain rate at 377 K (expt)



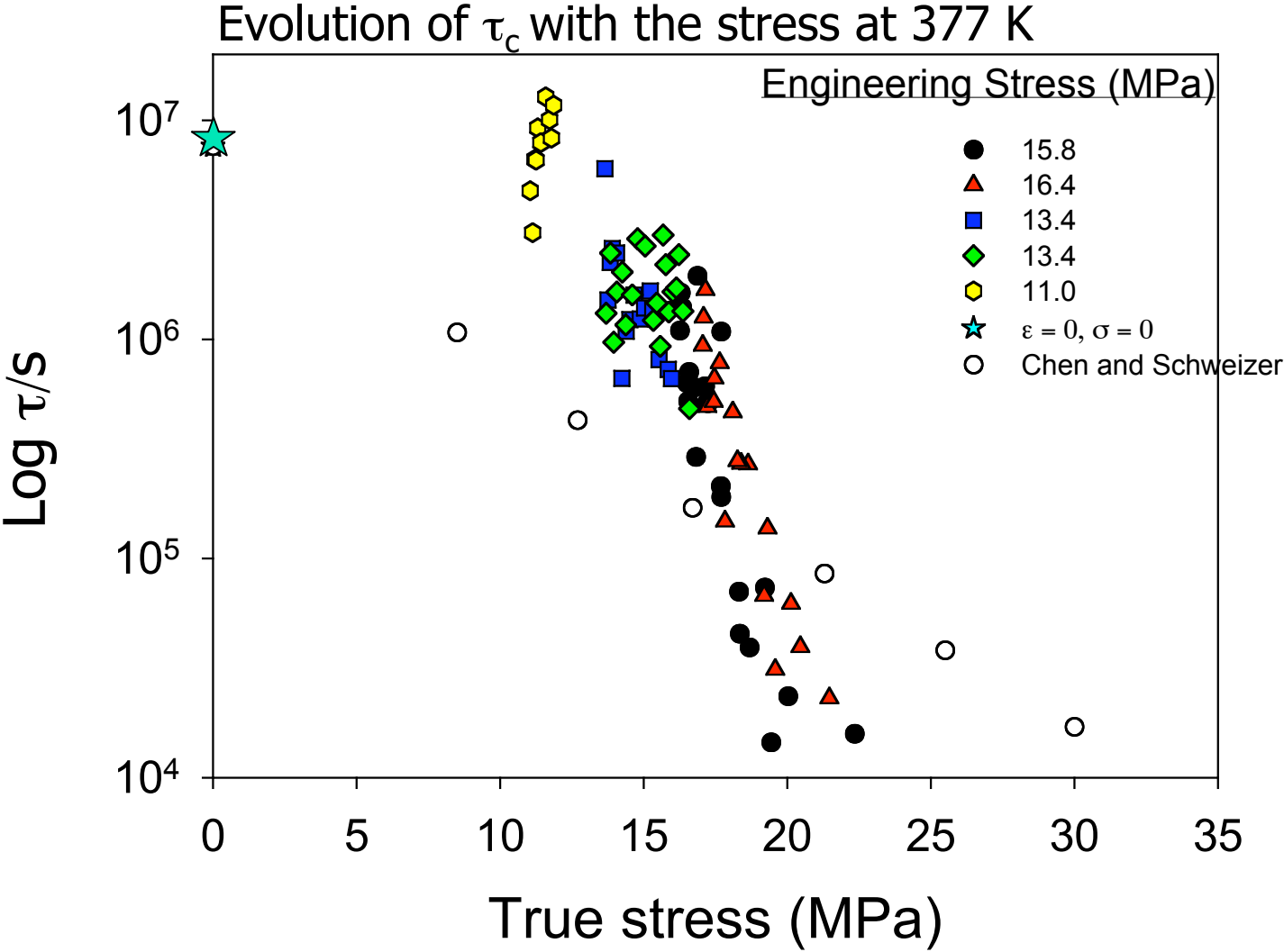


Simple free volume cannot explain enhanced dynamics



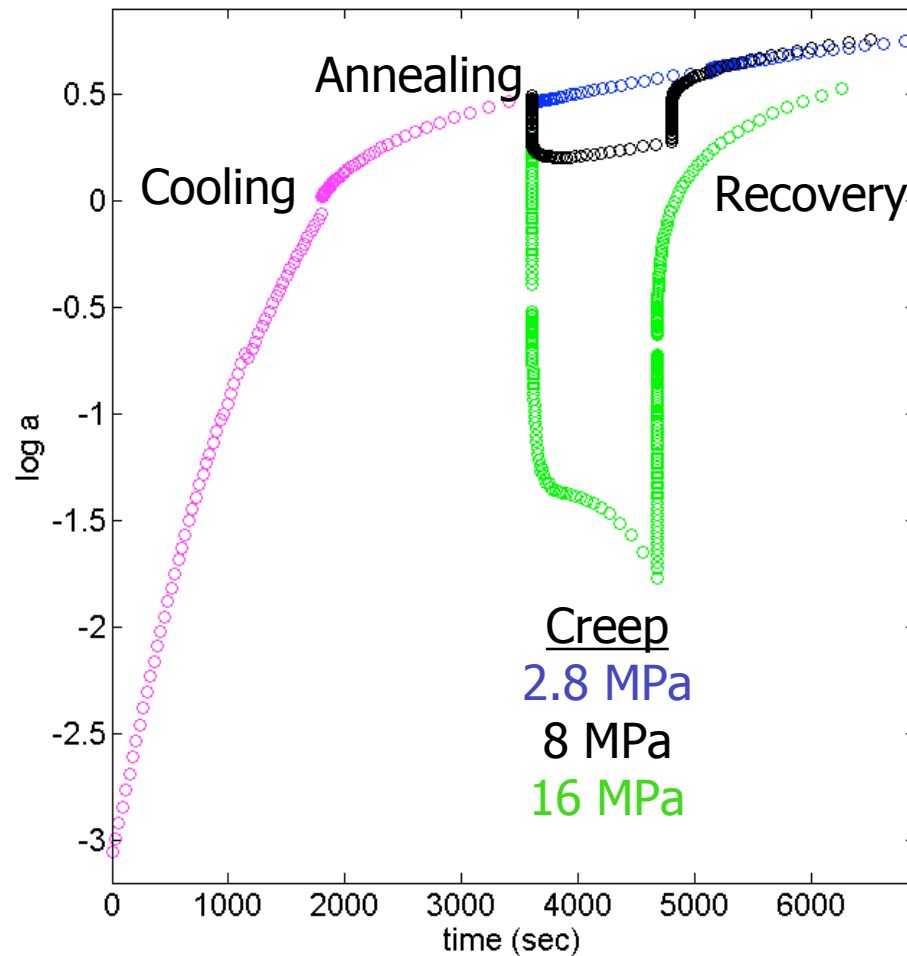
Plan to do experiments in compression also

Preliminary comparison with "molecular level Eyring theory"
(Chen and Schweizer)



Modelling the evolution of τ_c during creep

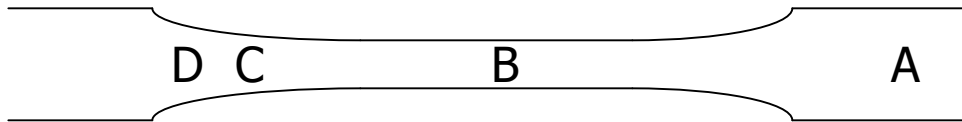
Medvedev and Caruthers, March 2007 APS Meeting



- Thermoviscoelastic model
- PMMA, 358 K
- Moderate stress has little effect
- Large stress has big effect

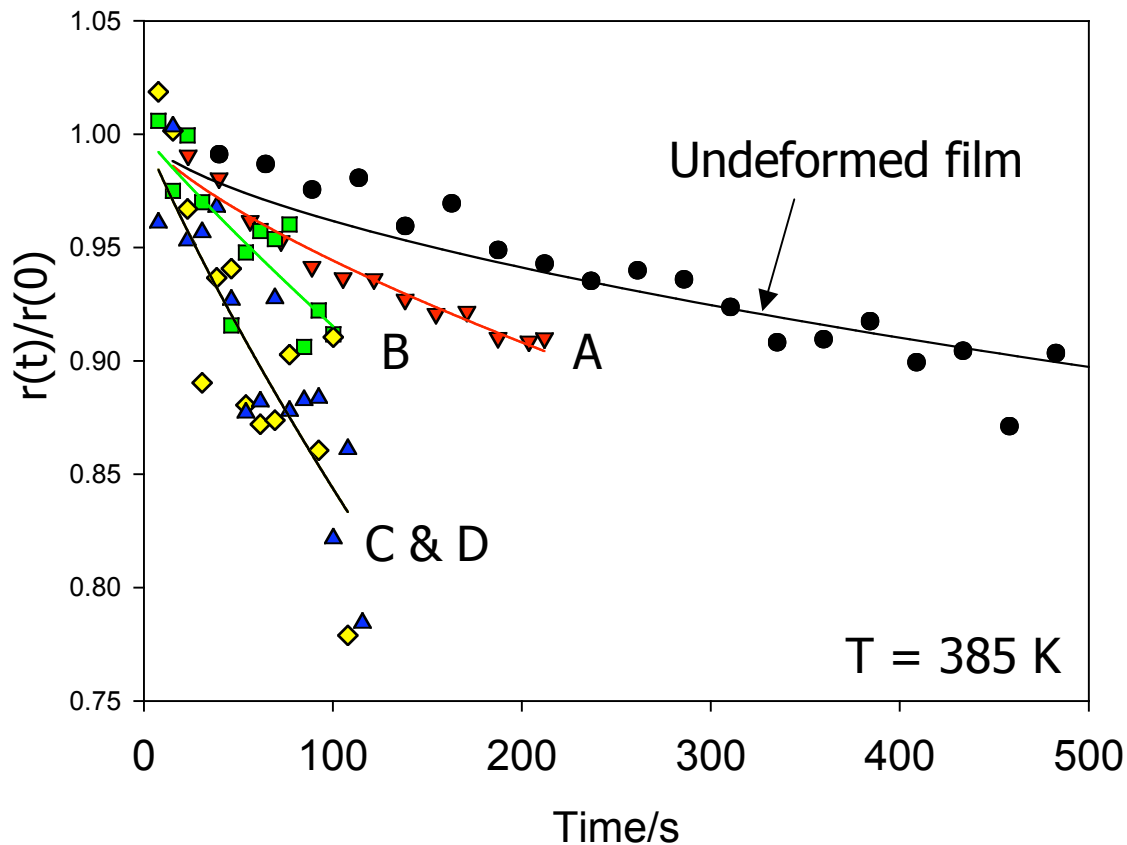
Mobility in different regions of necked film

~ 6 mm



➤ Local strain in neck area (B) is ~ 1.70 and strain rate is $\sim 5 \times 10^{-5}/s$

➤ Local strain in non-necked are (A) is ~ 0.30 and strain rate is $\sim 10^{-5}/s$



Largest mobility changes occur in regions with locally high strain rates



Summary

- Quantitative determination of mobility changes during deformation and recovery.
- Huge effect! A dominant contribution to non-linear deformation behavior.
- Simulations argue against free volume interpretation
- Critical for theory/modelling.
- Local measurement of mobility useful for understanding inhomogeneous deformation.